# **ULTRA-HIGH-ENERGY COSMIC RAYS FROM ACCRETION SHOKS IN GALAXY CLUSTERS** Detección y Astropartículas



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#### **Abstract**

The origin of ultra-high-energy cosmic rays is still unknown. Despite strong evidence suggesting an extragalactic origin of the sources that accelerate the most energetic cosmic rays, they have not yet been identified. Galaxy cluster accretion shocks have been considered as a possible acceleration site for cosmic ray particles. External accretion shocks in galaxy clusters arise from the inflow of material from the cosmic web into the cluster gravitational potential well. The size of these shocks can reach values on the order of megaparsecs, placing them among the largest shocks found in nature. In this work, we investigate the possibility that the ultra-high-energy cosmic rays are accelerated in galaxy cluster accretion shocks. For that purpose, we develop a model considering a set of discrete sources, corresponding to nearby massive | clusters (including Virgo), superimposed to a continuous distribution of sources which considers both low-mass and non-local massive clusters. We fit the cosmic ray energy spectrum and the composition profile measured by the Pierre Auger Observatory in order to obtain a set of parameters corresponding to the injection spectrum assumed in the model. The possibility that the ultrahigh-energy cosmic rays are accelerated in these astronomical objects is examined based on the results obtained.

### **Shocks in galaxy clusters as UHECR sources**

## **Maximum energy**



## **Fit of the flux and composition profile**





$$
B \cong 1.71 \times \left(\frac{M}{10^{15}M_{\odot}}\right)^{0.31} \mu\text{G}
$$

#### **References**



 $log(E/eV)$ **Obtained by solving:**  $\lambda_{\rm int}(E_{\rm max},z,Z)=\lambda_{\rm acc}(E_{\rm max},Z,M).$  $E_{\max}(A, z, M)$ 



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$$
\mathcal{L}_{CR}(M, z) = f_{CR} 1.98 \times 10^{46} \left(\frac{M}{10^{15} M_{\odot}}\right)^{1.95} f(z) \text{ erg s}^{-1}
$$
  
Constant  

$$
\mathcal{L}_{CR}(M, z, A) = I_A \mathcal{L}_{CR}(M, z)
$$

$$
\frac{dN_{CR, A}}{dt dE} = \overbrace{C(M, z, I_A, f_{CR}, A)}^{dN_{CR, A}} \left(\frac{E}{E_0}\right)^{-\gamma} \left\{\begin{array}{c} 1 & E < E_{\text{max}} \\ \exp(1 - E/E_{\text{max}}) & E \ge E_{\text{max}} \end{array}\right\}
$$